## CLT for a Binomial Distribution

-CLT for Proportions

- Continuity Correction
- Examples


## The CLT for Proportions

- Requirements: Must be a Binomial Distribution with $n p>5, n q>5 \quad(q=1-p)$
- Conclusion: This Binomial Distribution is approximately normal with

$$
\mu=n p, \quad \sigma=\sqrt{n p q}
$$

- Continuity Correction: Adjust the discrete whole number $x$ by 0.5 .


## Continuity Correction

| Binomial | Normal |
| :--- | :--- |
| $\mathrm{P}(x<10)$ | $\mathrm{P}(x<9.5)$ |
| $\mathrm{P}(x \leq 10)$ | $\mathrm{P}(x<10.5)$ |
| $\mathrm{P}(x>10)$ | $\mathrm{P}(x>10.5)$ |
| $\mathrm{P}(x \geq 10)$ | $\mathrm{P}(x>9.5)$ |
| $\mathrm{P}(7<x<12)$ | $\mathrm{P}(7.5<x<11.5)$ |
| $\mathrm{P}(7 \leq x \leq 12)$ | $\mathrm{P}(6.5<x<12.5)$ |

## Example

Twelve percent of the US population is left handed. If 200 randomly selected Americans are surveyed, what is the probability that fewer than 20 of them are left handed?

## Example

According to a recent Gallup poll, 18\% of Americans are underemployed. If 150 Americans are randomly selected, find the probability that between 20 and 30 of them are underemployed.

## Testing a Claim

Is it likely that only $50 \%$ of voters support the marijuana initiative? A recent field poll of 1000 decisive voters found that 547 of them will vote yes.

